Angles and Triangles
September 26, 2016 7:59 AM

Know these terms

Transversal: A line that intersects two or more other lines at distinct points

- This is a transyeral
- Like a bridge that Connects two or more other lines.

Parallel: Two lines are considered parallel if they never cross, regardless of length.


Denote parallel lines with matching arrows.


Interior angles: Any angles formed by a transversal and two parallel lines that lie inside the parallel lines.


$$
3,4,6,5 \text { are interior angles }
$$

$$
\left.\begin{array}{l}
\angle 3 \\
\angle 4 \\
\angle 5 \\
\angle 6
\end{array}\right\} \text { write angles like }
$$

Exterior angles: Any angles formed by a transversal and two parallel lines that lie outside the parallel lines.


$$
<1,<2,<3,<4
$$

Are the exterior angles

Corresponding angles: One interior angle and the one exterior angle that are non-adjacent and on the same side of a transversal.
corresponding angles for parallel lines are always equal.


$$
\begin{array}{lll}
\exists & <2 & \text { corresponds to }<6 \\
F & <4 & <0 r r e s p o n d s \\
E & <1 & \text { corresponds to }
\end{array}<8
$$

$7<3$ Comisipmest to $<7$
Corresponding angles form a $F$

Alternate interior angles: Two non-adjacent interior angles on opposite sides of a transversal.


Are equal if the lines are parallel.
$\geq \angle 3$ is Alternate interior to $\angle 5$

- $\angle 4$ is Alternate interior to $\angle 6$

Alternate interior angles form " $Z$ "

Supplementary: Angles on a line add up to $180^{\circ}$.


$$
\begin{aligned}
& \angle A O D \text { or } \angle D O A \\
& \angle B O D \text { or } \angle D O B \\
& \angle A O D=120^{\circ} \\
& \text { Ex: } \angle A O D \\
& \text { Then } \angle A O D+\angle B O D=180^{\circ} \\
& \begin{aligned}
120^{\circ}+\angle B O D & =180 \\
-120^{\circ} & -120^{\circ} \\
\angle B O D & =60^{\circ}
\end{aligned}
\end{aligned}
$$

Complimentary: Angles that add up to $90^{\circ}$.


B

$$
\angle A B D+\angle D B C=90^{\circ} \quad \text { Comp. }
$$

$$
E_{x}: \angle A B D=60^{\circ}
$$

Then:

$$
\begin{aligned}
& \angle A B D+\angle D B C=90^{\circ} \quad \text { Cop. } \\
& 60^{\circ}+\angle O B C=90^{\circ} \\
&-60^{\circ} \\
&-D B C
\end{aligned}=30^{\circ} \quad \text {. }
$$

Opposite Angles: Angles formed by two lines that cross and are on opposite sides of the cross are equal.

$\angle A$ is opposite to $\angle C$
$\angle D$ is opposite to $\angle D$

Ex:


Q: are lines " $a$ " and " $b$ " parallel? why?

parallel? why?

$$
\text { Line " } a \text { " is parallel to line " } b \text { " } \begin{aligned}
& \text { - Corresespasing } \\
& \text { angus } \\
& \text { equal are }
\end{aligned}
$$

$$
\begin{aligned}
& \text { Q: what is } \angle D \text { ard } \angle C \text { and } \\
& \text { give your reason. }
\end{aligned}
$$

$\angle C \quad \angle C=\angle B=140^{\circ}$-opp.
$\angle D$

$$
\begin{aligned}
& \angle D=40^{\circ}-\text { Sup. } \quad \frac{\text { Math }}{\angle B}+\angle D=180 \text { Supp. } \\
& 1410+\angle D=180 \\
&-140 \\
&-140 \\
& \angle D=40^{\circ}
\end{aligned}
$$

Ex:


Q: Are these lines par allel? why?

$$
\begin{gathered}
\angle F \text { is soppto } \angle H \\
180^{\circ}-139^{\circ}=\angle F \\
41^{\circ}=\angle F
\end{gathered}
$$

$\angle A$ corresponds to $\angle F$

$$
\angle A \neq \angle F
$$

$\therefore$ Line " $a$ " is not parallel to line" $b$ "

Practice Probkus Pg. 72 Q: $1-6$


* Corresponding angles are equal for parallel lime

$$
\angle 1=\angle 5 \quad \angle 2=\angle 6 \quad \angle 3=\angle 7 \quad \angle 4=\angle 8
$$

* Alternate interior angles are equal fur parallel lines

$$
\angle 3=\angle 6 \quad \angle 4=\angle 5
$$

- Supbmatary angles add to $180^{\circ}$

$$
\angle 1+\angle 2=180^{\circ} \quad \angle 6+\angle 8=180^{\circ} \text { etc. }
$$

* Complimentary angles add to $90^{\circ}$

$$
\frac{1 a}{a} \quad \quad \angle a+\angle b=90^{\circ}
$$

* opposite angles are always equal.

$$
\angle 1=\angle 4 \quad \angle 2=\angle 3 \quad \angle 6=\angle 7 \quad \angle 5=\angle 8
$$

