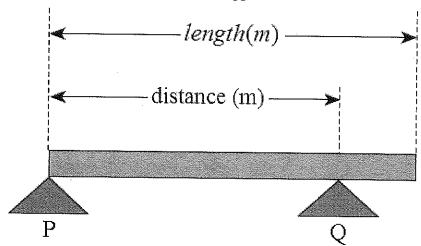
#### SHORT ANSWER

1. A uniform beam of mass 12 kg, length 10 m, rests on supports P and Q, as shown in the diagram below. The distance between the supports is 9.5 m.



### ANSWER: (4 marks)

a) What force is exerted by support Q on the beam? (2 marks)

$$a) au_{cw} = au_{ccw}$$

$$rF_g = rF_Q$$

$$(lo) \frac{1}{2} mg = d \cdot F_Q$$

$$(10) \frac{1}{2}mg = d \cdot F_{Q}$$

$$F_{Q} = \frac{mg}{2d} = \frac{12kg \cdot 9.8m/s^{2}}{2 \cdot 9.5m} = \frac{61.89N}{12}$$

b) What force is exerted by support P on the beam? (2 marks)

$$b)\tau_{cw} = \tau_{ccw}$$

$$r \cdot F_p = rF_g$$

$$d \cdot F_p = (d - \frac{l}{2}) \cdot mg$$

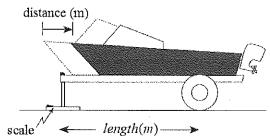
$$F_{P} = \frac{\left(d - \frac{l}{2}\right) \cdot mg}{d} = \frac{\left(9.5m - \frac{10m}{2}\right) \cdot 12kg \cdot 9.8m/s^{2}}{9.5m} = \underline{55.71N}$$

$$F_P + F_O = mg$$

$$55.71N + 61.89N = 12kg \cdot 9.8m/s^2$$

$$117.6N = 117.6N$$

2. A trailer carrying a boat is supported by a scale which initially reads 84 kg. The boat (and therefore its centre of gravity) is moved 0.3 m further back on the trailer. The scale now reads 28 kg. The length of the trailer is 6.1m.



Find the mass of the boat. (3 marks)

ANSWER: (3 marks)

$$au_{con} = au_{con}$$

'r' is the distace to the center of mass

First Equation:  $l \cdot F_{scale_1} = r \cdot m \cdot g$ 

Isolate 'r' 
$$r = \frac{l \cdot F_{scale_1}}{m \cdot g}$$

Second Equation:  $l \cdot F_{scale_1} = (r - d) \cdot m \cdot g$ 

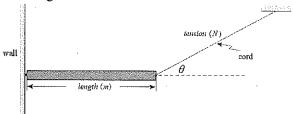
Substitute 'r' into the second equation.  $l \cdot F_{scale_2} = \left[ \frac{l \cdot F_{scale_1}}{m \cdot g} - d \right] \cdot m \cdot g$ 

Solve for m. 
$$l \cdot F_{scale_2} = \frac{l \cdot F_{scale_1} \cdot m \cdot g}{m \cdot g} - d \cdot m \cdot g$$

$$\left(l\cdot F_{scale_1}\right) - \left(l\cdot F_{scale_1}\right) = -d\cdot m\cdot g$$

$$m = \frac{\left(l \cdot F_{scale_1}\right) - \left(l \cdot F_{scale_1}\right) = -d \cdot m \cdot g}{d \cdot g} = \frac{\left(l \cdot F_{scale_2}\right)}{d \cdot g} = \frac{l\left(F_{scale_1} - F_{scale_2}\right)}{d \cdot g} = \frac{6.1m\left(84kg - 28kg\right)}{0.3m \cdot 9.8m/s^2} = \frac{116.19kg}{13.9 \text{ kg}}$$

3. A uniform 35kg bar, length 5.3m, is suspended by a cord as shown at an angle above the horizontal creating a tension of 250N.



What is the angle of the cord? (3 marks)

ANSWER: (3 marks)

$$au_{cw} = au_{ccw}$$

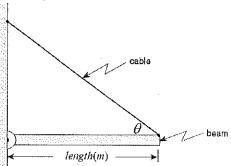
$$rF_{o} = rT_{\perp}$$

$$r \cdot mg = r \cdot T \cdot \sin(\theta)$$

$$2.65m \cdot 35kg \cdot 9.8m/s^2 = 5.3m \cdot T \cdot \sin(\theta)$$

$$6 = \sin(6) \left( = \frac{2.65m \cdot 35kg \cdot 9.8m/s^2}{5.3m \cdot 250N} \right) = \frac{43.31^\circ}{100}$$

4. A uniform bar, 5.4 m long, is suspended by a cord as shown at an angle of 67° above the horizontal creating a tension of 337N.



What is the mass of the uniform bar? (3 marks)

$$\tau_{\rm\scriptscriptstyle CW}=\tau_{\rm\scriptscriptstyle CCW}$$

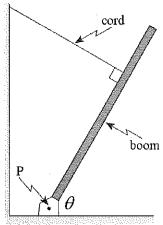
$$rF_{x} = rT_{\perp}$$

$$\frac{l}{2} \cdot mg = l \cdot T \cdot \sin(\theta)$$

$$2.7m \cdot (m) \cdot 9.8m/s^2 = 5.4m \cdot 337N \cdot \sin(67^\circ)$$

$$m = \frac{5.4m \cdot 337N \cdot \sin(67^\circ)}{2.7m \cdot 9.8m/s^2} = \frac{63.31kg}{2.31kg}$$

5. A 17m boom hinged at P is held stationary, as shown in the diagram below. The boom weighs 2,668N and makes an angle of 70° to the ground.



The supporting cord has a tension of 488N.

How far up the boom is the cord attached? (3 marks)

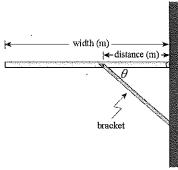
ANSWER: (3 marks)

$$\tau_{\rm cw}=\tau_{\rm ccw}$$

$$\frac{l}{2} W \cos(\theta) = d \cdot T$$

$$d = \frac{l \cdot W \cdot \cos(\theta)}{2 \cdot T} = \frac{17m \cdot 2,668N \cdot \cos(70^{\circ})}{2 \cdot 488N} = \underline{15.89m}$$

6. A shelf of width 1.8m is supported by a bracket attached at a distance of 0.4m, as shown in the diagram below. The bracket makes an angle of 33° with the shelf and exerts a force of 8N on the shelf.



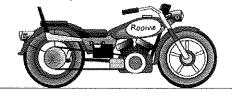
What is the mass of the shelf? (3 marks)

$$\tau_{\rm cw}=\tau_{\rm ccw}$$

$$d \cdot F \cdot \sin(\theta) = \frac{w}{2} \cdot m \cdot g$$

$$m = \frac{2 \cdot d \cdot F \cdot \sin(\theta)}{w \cdot g} = \frac{2 \cdot 0.4m \cdot 8N \cdot \sin(33^{\circ})}{1.8m \cdot 9.8m / s^{2}} = \frac{18.98 kg}{0.148 kg}$$

7. The motorcycle shown has a mass of 424 kg and a wheel base of 1.4 m.



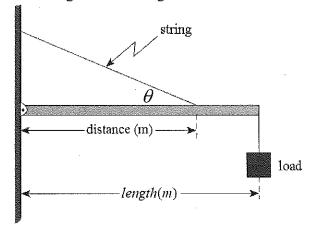
If the rear wheel exerts a 392 N force on the ground, find how far the motorcycle's centre of gravity is located from the front wheel. (3 marks)

$$\tau_{\scriptscriptstyle cw}=\tau_{\scriptscriptstyle ccw}$$

$$d\cdot F_{rear} = r\cdot m\cdot g$$

$$r = \frac{d \cdot F_{rear}}{m \cdot g} = \frac{1.4m \cdot 392N}{424kg \cdot 9.8m/s^2} = \frac{0.13m}{9.8m}$$

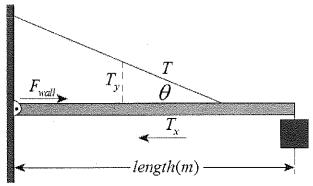
8. The diagram shows a 14.4m horizontal beam. The wall exerts a 157N horizontal force on the beam. The string makes an angle of 67° with the beam. There is a load of mass 38kg hanging from the end.



distance 1200

Find the mass of the beam. (3 marks)

ANSWER: (3 marks)



$$F_{wall} = T_x$$
 and  $\tan\left(\theta\right) = \frac{T_y}{T_x}$  so  $T_{\perp} = T_y = F_{wall} \cdot \tan\left(\theta\right)$ 

$$\tau_{cov} = \tau_{cov}$$

$$\frac{l}{2}F_{beam} + l \cdot F_{load} = dT_{\perp}$$

$$\frac{l}{2} \cdot m_{beam} \cdot g + l \cdot m_{load} \cdot g = d \cdot F_{wall} \cdot \tan\left(\theta\right) \qquad m_{beam} = \frac{2\left(d \cdot F_{wall} \cdot \tan\left(\theta\right) - l \cdot m_{load} \cdot g\right)}{l \cdot g}$$

$$m_{beam} = \frac{2\left(12m \cdot 157N \cdot \tan(67^{\circ}) - \frac{14.4m}{24.4m \cdot 9.8m/s^{2}} \cdot \frac{33}{24.9kg \cdot 9.8m/s^{2}}\right)}{14.4m \cdot 9.8m/s^{2}} = \frac{2455g}{-13.047}$$

-13 kg

This guestion does

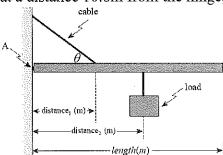
not work with the

raticular should be 24.4kg

36kg

given processing processing

9. A uniform beam 13.4m long, and with a mass of 22kg, is hinged at A. The supporting cable, located at a distance 10.8m from the hinge, is at an angle of 54°.



If the maximum tension the cable can withstand is 1,145N, what is the maximum mass of the load if it is located at 7.5m from the hinge? (3 marks)

$$\tau_{cw} = \tau_{ccw}$$

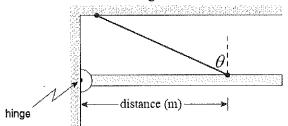
$$d_{beam}F_{beam} + d_{load}F_{load} = d_{cable}T_{\perp}$$

$$\frac{l}{2}m_{beam}g + d_{load}m_{load}g = d_{cable}T\sin(\theta)$$

$$m_{load} = \frac{d_{cable} \cdot T \cdot \sin(\theta) - \frac{l}{2} \cdot m_{beam} \cdot g}{d_{load} \cdot g} = \frac{10.8m \cdot 1,145N \cdot \sin(54^{\circ}) - \frac{13.4m}{2} \cdot 22 \cdot 9.8m/s^{2}}{7.5m \cdot 9.8m/s^{2}}$$

$$m_{load} = \underline{\underline{116.46kg}}$$

10. A uniform 4m beam of mass 4kg is supported by a cord attached at the 1m position and at an angle 40°as shown in the diagram.



What force does the hinge exert on the beam? (don't forget about direction) (3 marks)

# ANSWER: (3 marks)

First, find the tension in the cable.

$$\begin{aligned} &\tau_{cw} = \tau_{ccw} \\ &\frac{l}{2} \cdot F_{beam} = d \cdot T_{\perp} \\ &\frac{l}{2} \cdot m_{beam} \cdot g = d \cdot T \cdot \cos(\theta) \\ &T = \frac{\frac{l}{2} \cdot m_{beam} \cdot g}{d \cdot \cos(\theta)} = \frac{\frac{4m}{2} \cdot 4kg \cdot 9.8m/s^2}{1m \cdot \cos(40^\circ)} = 102.34N \end{aligned}$$

Second, find the horizontal force the cord tension exerts on the hinge.

$$\begin{split} & \sum F_x = 0 \\ & -T_x + F_{x_{hinge}} = 0 \\ & F_{x_{hinge}} = T_x \qquad T_x = T \cdot \sin(\theta) \\ & F_{x_{hinge}} = T \cdot \sin(\theta) = 102.34 N \cdot \sin(40^\circ) = 65.79 N \end{split}$$

Third, find the vertical force the beam exerts on the hinge.

$$\begin{split} & \sum \mathbf{F}_y = 0 \\ & + F_{y_{hinge}} + T_y - F_{beam} = 0 \\ & F_{y_{hinge}} = F_{beam} - T_y \qquad T_y = T \cdot \cos(\theta) \\ & F_{y_{hinge}} = m_{beam} \cdot g - T \cdot \cos(\theta) = 4kg \cdot 9.8m/s^2 - 102.34N \cdot \cos(40^\circ) = -39.2N \end{split}$$

OR we could use  $\tau_{cw} = \tau_{ccw}$  to find the vertical force of the hinge but the pivot point is where to cord attaches to the beam.

$$\begin{split} & \tau_{cw} = \tau_{ccw} \\ & d_{wall} \cdot F_{y_{hinge}} = d_{beam} \cdot F_{beam} \\ & F_{y_{hinge}} = \frac{d_{beam} \cdot F_{beam}}{d_{cord}} = \frac{\left(d_{cord} - \frac{l}{2}\right) \cdot m_{beam} \cdot g}{d_{cord}} = \frac{\left(1m - \frac{4m}{2}\right) \cdot 4kg \cdot 9.8m/s^2}{1m} = -39.2N \end{split}$$

Finally, find the resultant force from the  $F_x$  and  $F_y$ 

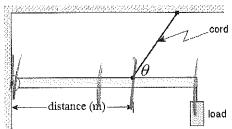
$$\left(F_{hinge}\right)^{2} = \left(F_{x_{hinge}}\right)^{2} + \left(F_{y_{hinge}}\right)^{2}$$

$$F_{hinge} = \sqrt{\left(F_{x_{hinge}}\right)^{2} + \left(F_{y_{hinge}}\right)^{2}} = \sqrt{\left(65.79N\right)^{2} + \left(-39.2N\right)^{2}} = \underline{76.58N}$$

$$\tan^{-1} \left(\frac{F_{y_{hinge}}}{F_{x_{hinge}}}\right) = \tan^{-1} \left(\frac{39.2N}{65.79N}\right) = \underline{30.79^{\circ}}$$

The hinge exerts a force of 76.58N @ 30.79° below the horizontal and to the right.

11. The horizontal uniform beam shown below is 7m long and has a mass of 5kg. At the end of the beam, a load that is 58kg is being held. A cord, at an angle of 69°, is holding the beam. The cord is attached at a distance of 6m from the wall.



What force does the hinge exert on the beam? (don't forget about direction) (3 marks)

### ANSWER: (3 marks)

First, find the tension in the cable.

$$\begin{split} &\tau_{cw} = \tau_{ccw} \\ &\frac{l}{2} \cdot F_{beam} + l \cdot F_{load} = d \cdot T_{\perp} \\ &\frac{l}{2} \cdot m_{beam} \cdot g + l \cdot m_{load} \cdot g = d \cdot T \cdot \sin(\theta) \\ &T = \frac{\frac{l}{2} \cdot m_{beam} \cdot g + l \cdot m_{load} \cdot g}{d \cdot \sin(\theta)} = \frac{\frac{7m}{2} \cdot 5kg \cdot 9.8m/s^2 + 7m \cdot 58kg \cdot 9.8m/s^2}{6m \cdot \sin(69^\circ)} = 740.93N \end{split}$$

Second, find the horizontal force the cord tension exerts on the hinge.

$$\begin{split} \sum & F_x = 0 \\ & T_x - F_{x_{hinge}} = 0 \\ & F_{x_{hinge}} = T_x \qquad T_x = T \cdot \cos(\theta) \\ & F_{x_{hinge}} = T \cdot \cos(\theta) = 740.93N \cdot \cos(69^\circ) = 265.53N \quad \text{(it is pulling to the left)} \end{split}$$

Third, find the vertical force the beam exerts on the hinge.

$$\begin{split} \sum & F_y = 0 \\ + & F_{y_{hinge}} + T_y - F_{beam} - F_{load} = 0 \\ & F_{y_{hinge}} = F_{beam} + F_{load} - T_y \qquad \qquad T_y = T \cdot \sin(\theta) \end{split}$$

$$F_{y_{hinge}} = m_{beam} \cdot g + m_{load} \cdot g - T \cdot \sin(\theta) = 5kg \cdot 9.8m/s^2 + 58kg \cdot 9.8m/s^2 - 740.93N \cdot \sin(69^\circ) = -74.32N$$

OR we could use  $\tau_{cw} = \tau_{ccw}$  to find the vertical force of the hinge but the pivot point is where to cord attaches to the beam.

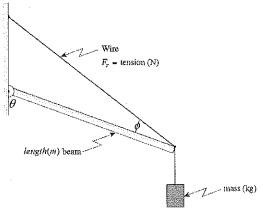
$$\begin{split} &\tau_{cw} = \tau_{ccw} \\ &d_{wall} \cdot F_{y_{hinge}} + d_{load} \cdot F_{load} = d_{beam} \cdot F_{beam} \\ &F_{y_{hinge}} = \frac{d_{beam} \cdot F_{beam} - d_{load} \cdot F_{load}}{d_{cord}} = \frac{\left(d_{cord} - \frac{l}{2}\right) \cdot m_{beam} \cdot g - \left(l - d_{cord}\right) \cdot m_{load} \cdot g}{d_{cord}} \\ &F_{y_{hinge}} = \frac{\left(6m - \frac{7m}{2}\right) \cdot 5kg \cdot 9.8m/s^2 - (7m - 6m) \cdot 58 \cdot 9.8m/s^2}{6m} = -74.32N \end{split}$$

Finally, find the resultant force from the  $\boldsymbol{F}_{\boldsymbol{x}}$  and  $\boldsymbol{\ F}_{\boldsymbol{y}}$ 

$$\begin{split} & \left(F_{hinge}\right)^2 = \left(F_{x_{hinge}}\right)^2 + \left(F_{y_{hinge}}\right)^2 \\ & F_{hinge} = \sqrt{\left(F_{x_{hinge}}\right)^2 + \left(F_{y_{hinge}}\right)^2} = \sqrt{\left(265.53N\right)^2 + \left(-74.32N\right)^2} = \underline{275.73N} \\ & \tan^{-1}\left\{\frac{F_{y_{hinge}}}{F_{x_{hinge}}}\right\} = \underline{15.64^\circ} \end{split}$$

The hinge exerts a force of 275.73N @ 15.64° below the horizontal and to the left.

12. A 3.9m long uniform beam that has a mass of 33kg, supports a 145kg load. The beam is suspended by a wire connected as shown. Angle  $\theta$ =61° and angle  $\phi$  = 69°



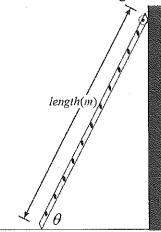
What is the tension in the wire? (3 marks)

$$\begin{split} &\tau_{cw} = \tau_{ccw} \\ &\frac{l}{2} \cdot F_{\perp}_{beam} + l \cdot F_{\perp}_{load} = l \cdot T_{\perp} \\ &\frac{l}{2} \cdot m_{beam} \cdot g \cdot \sin(\theta) + l \cdot m_{load} \cdot g \cdot \sin(\theta) = l \cdot T \cdot \sin(\phi) \end{split}$$

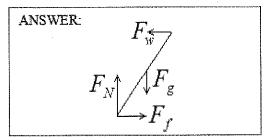
$$T = \frac{\frac{1}{2} \cdot m_{beam} \cdot g \cdot \sin(\theta) + m_{load} \cdot g \cdot \sin(\theta)}{\sin(\phi)} = \frac{\frac{1}{2} \cdot 33kg \cdot 9.8m/s^2 \cdot \sin(61^\circ) + 145kg \cdot 9.8m/s^2 \cdot \sin(61^\circ)}{\sin(69^\circ)}$$

$$T = 1,482.74N$$

13. A uniform 5.6m long ladder of mass 21kg leans at an angle of 48° against a **frictionless** vertical wall as shown in the diagram below.



a) Draw and label a free body diagram showing the forces acting on the ladder. (1 mark) ANSWER: (3 marks)



b) What coefficient of friction is needed at the base of the ladder to keep it from sliding? (3 marks)  $F_f = \mu \cdot F_N = \mu \cdot m \cdot g$ 

$$F_f = F_{wall} \qquad \sin(\theta) = \frac{F_\perp}{F_{wall}} \qquad F_\perp = F_{wall} \cdot \sin(\theta) = F_f \cdot \sin(\theta) = \mu \cdot m \cdot g \cdot \sin(\theta)$$

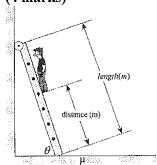
$$au_{cw} = au_{ccw}$$

$$\frac{l}{2} \cdot F_g \cdot \cos(\theta) = l \cdot F_{\perp}$$

$$\frac{1}{2} \cdot m \cdot g \cdot \cos(\theta) = l \cdot \mu \cdot m \cdot g \cdot \sin(\theta)$$

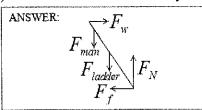
$$\mu = \frac{\cos(\theta)}{2 \cdot \sin(\theta)} = \frac{1}{2 \cdot \tan(\theta)} = \frac{1}{2 \cdot \tan(48^\circ)} = \underline{0.45}$$

14. A 82kg man is 0.8m up a 4.3m, 18kg ladder leaning against a smooth wall at an angle of 70° as shown below. (4 marks)



ANSWER: (4 marks)

a) Draw and label a free body diagram showing the forces acting on the ladder. (1 mark)



b) What is the minimum coefficient of friction required to keep the ladder from sliding? (3 marks)

$$\tau_{cw} = \tau_{ccw}$$

$$\frac{l}{2} \cdot F_{g_{ladder}} \cdot \cos(\theta) + d \cdot F_{g_{man}} \cdot \cos(\theta) = l \cdot F_{wall} \cdot \sin(\theta)$$

$$F_{wall} = \frac{\frac{l}{2} \cdot m_{ladder} \cdot g \cdot \cos(\theta) + d \cdot m_{man} \cdot g \cdot \cos(\theta)}{l \cdot \sin(\theta)}$$

$$F_{wall} = \frac{\frac{4.3m}{2} \cdot 18kg \cdot 9.8m/s^2 \cdot \cos(70^\circ) + 0.8m \cdot 82kg \cdot 9.8m/s^2 \cdot \cos(70^\circ)}{4.3m \cdot \sin(70^\circ)} = 86.52N$$

$$\Sigma F_y = 0$$

$$+F_N - F_{g_{ladder}} - F_{g_{man}} = 0$$

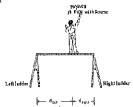
$$F_N = F_{g_{ladder}} - F_{g_{man}} = \left( m_{ladder} + m_{man} \right) \cdot g$$

$$F_f = \mu \cdot F_N = \mu \cdot \left( m_{ladder} + m_{man} \right) \cdot g$$

$$\mu \cdot F_N = F_{wall}$$

$$\mu = \frac{F_{wall}}{F_N} = \frac{F_{wall}}{\left(m_{ladder} + m_{man}\right) \cdot g} = \frac{86.52N}{\left(18kg + 82kg\right) \cdot 9.8m/s^2} = \frac{0.09}{1000}$$

15. A 79kg painter stands on a uniform 8m board of mass 12kg supported horizontally by two ladders. The painter is 5.7m from the left ladder and 2.3m from the right ladder.



- a) Find the force exerted by the right ladder. (2 marks)
- a) Force of Right Ladder:

$$\begin{aligned} &\tau_{cw} = \tau_{ccw} \\ &d_{Left}F_{g}_{painter} + r_{b}F_{g}_{board} = r_{l}F_{R} \\ &5.7m \cdot 79kg \cdot 9.8m/s^{2} + \frac{8m}{2} \cdot 12kg \cdot 9.8m/s^{2} = 8m \cdot F_{R} \end{aligned}$$

$$F_{R} = \frac{5.7m \cdot 79kg \cdot 9.8m/s^{2} + \frac{8m}{2} \cdot 12kg \cdot 9.8m/s^{2}}{8m} = \underline{610.42N}$$

b) Force of Left Ladder:

$$\begin{split} & \tau_{_{\mathrm{CW}}} = \tau_{_{\mathrm{CCW}}} \\ & d_{_{Right}} F_{_{\mathrm{g}}} \,_{_{painter}} + r_{_{b}} F_{_{\mathrm{g}}} \,_{_{board}} = r_{_{l}} F_{_{L}} \end{split}$$

$$2.3m \cdot 79kg \cdot 9.8m/s^2 + \frac{8m}{2} \cdot 12kg \cdot 9.8m/s^2 = 8m \cdot F_L$$

$$F_{L} = \frac{2.3m \cdot 79kg \cdot 9.8m/s^{2} + \frac{8m}{2} \cdot 12kg \cdot 9.8m/s^{2}}{8m} = \frac{281.38N}{2}$$

OR we could use  $\sum F_y = 0$ 

$$F_L + F_R - F_{g_{painter}} - F_{g_{hoard}} = 0$$

$$F_L = F_{g_{painter}} + F_{g_{board}} - F_R$$

$$F_L = .79kg \cdot 9.8m/s^2 + .12kg \cdot 9.8m/s^2 - 610.42N = 281.38N$$

A 2.2 kg board of length 5 m initially rests on two supports as shown. The distance from left support to end is 0.4m and the distance between the two supports is 2.4m.



- a) What maximum distance, x, from the right-hand support can a 1.8 kg bird walk before the board begins to leave the left-hand support? (2 marks)
- a) Distance of bird:

$$\begin{split} & \sum \tau_{cw} = \sum \tau_{ccw} \\ & r \cdot F_{g_{board}} = x \cdot F_{g_{bird}} \end{split}$$

$$\left(d_{left} + d_{middle} - d_{\frac{board}{2}}\right) \cdot m_{board} \cdot g = x \cdot m_{bird} \cdot g$$

$$x = \frac{\left(d_{left} + d_{middle} - d\frac{board}{2}\right) \cdot m_{board}}{m_{bird}} = \frac{\left(0.4m + 2.4m - \frac{5m}{2}\right) \cdot 2.2kg}{1.8kg} = \underline{0.67m}$$

b) Force exerted by right support:

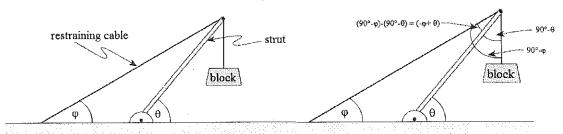
$$\sum F_{\nu} = 0$$

$$+F_R - F_{g_{board}} - F_{g_{bird}} = 0$$

$$F_{R} = F_{g_{board}} + F_{g_{bird}} = m_{board} \cdot g + m_{bird} \cdot g = 2.2kg \cdot 9.8m/s^{2} + 1.8kg \cdot 9.8m/s^{2} = \underline{39.2N}$$

17. 1

- 18. The crane shown in the diagram below is made up of a strut and a restraining cable. The strut is uniform in cross section with a length of 17.7 m and a mass of 85 kg. What is the tension in the restraining cable while the crane is supporting a 175 kg block?
  - The angle of the strut to the ground is [-69] and the angle of the restraining cable to the ground is [-47] (3 marks)



$$\tau_{cw} = \tau_{cow}$$

$$\frac{l}{2} \cdot F_{\perp_{bicam}} + l \cdot F_{\perp_{load}} = l \cdot T_{\perp}$$

$$\frac{l}{2} \cdot m_{beam} \cdot g \cdot \cos(\theta) + l \cdot m_{load} \cdot g \cdot \cos(\theta) = l \cdot T \cdot \sin((90 - \phi) - (90 - \theta))$$

$$T = \frac{\frac{1}{2} \cdot m_{beam} \cdot g \cdot \cos(\theta) + m_{load} \cdot g \cdot \cos(\theta)}{\sin(-\phi + \theta)} = \frac{\frac{1}{2} \cdot 85kg \cdot 9.8m/s^2 \cdot \cos(69^\circ) + 175kg \cdot 9.8m/s^2 \cdot \cos(69^\circ)}{\sin(-47^\circ + 69^\circ)}$$

$$T = 2,039.1N$$