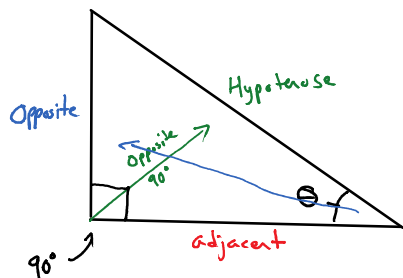


3.1 Tangent Ratio

February 27, 2017 8:58 AM

Labeling a Triangle:



In this class we will only look at right angle (90°) triangles

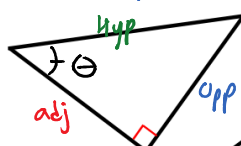
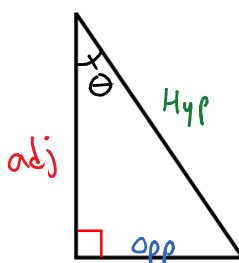
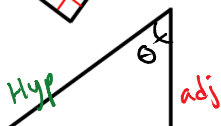
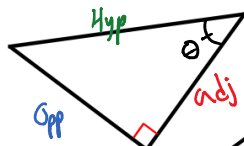
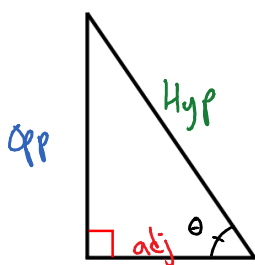
① when labelling a triangle first choose a reference angle. (θ)

② Hypotenuse: It is the longest side and is opposite the 90° angle.

③ Opposite: It is opposite the reference angle θ

④ adjacent: It is the short side that helps form our reference θ .

Example: Label the following triangles given the indicated angle

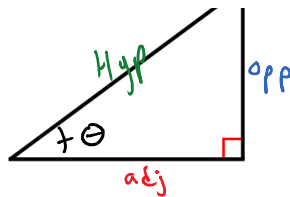
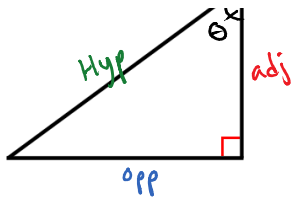


label Opposite
adjacent
Hypotenuse

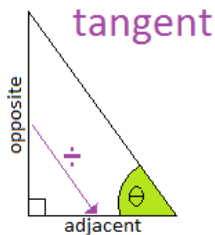
② Hypotenuse: It is the longest side and is opposite the 90° angle.

③ Opposite: It is opposite the reference angle θ

④ adjacent: It is the short side that helps form our reference θ .



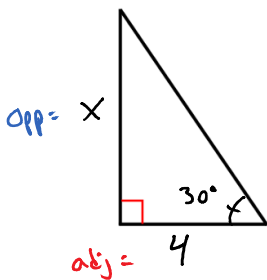
The Tangent Ratio



$$\tan \theta = \frac{\text{opposite}}{\text{adjacent}}$$

This is a function and θ is your input.

Examples



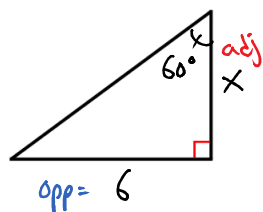
Find x

$$\tan \theta = \frac{\text{opp}}{\text{adj}}$$

$$4 \times [\tan 30] = \left[\frac{x}{4} \right] \times 4$$

$$\begin{aligned} 4 \tan 30 &= x \\ (4)(0.5774 \dots) &= x \\ \underline{\underline{2.31}} &= x \end{aligned}$$

Step 1: label the Δ



$$\begin{aligned} \tan \theta &= \frac{\text{opp}}{\text{adj}} \\ x [\tan 60] &= \left[\frac{6}{x} \right] \times x \\ \frac{x \tan 60}{\cancel{\tan 60}} &= \frac{6}{\cancel{\tan 60}} \\ x &= \frac{6}{\tan 60} \\ \underline{\underline{x = 3.46}} \end{aligned}$$

Inverse Tangent Ratio

All functions in math have opposites

Examples: $\frac{x}{+} \div \frac{[]^2}{\sqrt{[]}}$

The inverse Tangent Function is the opposite to the Tangent Function

$$\tan^{-1}[x]$$

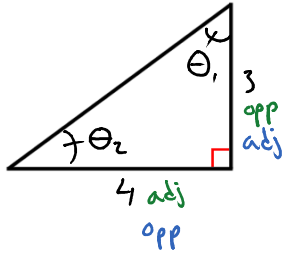
x : any Real number

$$\tan[45] = 1$$

$$\tan^{-1}[1] = 45$$

It can be found on your calculator by hitting 2nd function or Shift and then Tan

Example



Sum of the
angles in a triangle
= 180°
 $\theta_1 + \theta_2 + 90 = 180^\circ$

Find θ_1 and θ_2 using
the inverse tangent.

Step 1: pick an angle

θ_2

$$\tan \theta_2 = \frac{3}{4}$$

$$\theta_2 = \tan^{-1}\left[\frac{3}{4}\right]$$

$$\underline{\underline{\theta_2 = 37^\circ}}$$

θ_1

$$\tan \theta_1 = \frac{4}{3}$$

$$\cancel{\tan}^{-1}[\cancel{\tan \theta}] = \tan^{-1}\left[\frac{4}{3}\right]$$

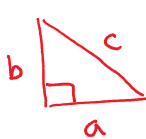
$$\underline{\underline{\theta_1 = 53^\circ}}$$

Homework: 1-13 odd
CH3 pg: 107

give 15 a try

Washroom/Water

Pythagorean Theorem



$$a^2 + b^2 = c^2$$